



#### **Today**

Python Scientific Stack: Working with Data

- pip, virtualenv, virtualenvwrapper
- numpy
- pandas
- matplotlib



#### **Today's Reading**

Python Data Science Handbook, Jake VanderPlaas

Available electronically via UChicago Library's Safari account:

- Chapter 2: Introduction to NumPy
- Chapter 3: Data Manipulation with Pandas
- Chapter 4: Visualization with Matplotlib



#### pip



#### PyPI: The Python Package Index

- https://pypi.python.org/pypi
- "A repository of software for the Python programming language."
- As of Saturday evening, there were 122,165 packages there. Each available via pip.
- Open to all Python developers for
  - Consumption of other developers' distributions
  - Publication of their own distributions



#### **PyPI: Popular Packages**

- **SciPy**: "A Python-based ecosystem of open-source software for mathematics, science, and engineering"
  - NumPy: "The fundamental package for scientific computing with Python"
  - **pandas**: "An open source ... library providing high-performance, easy-to-use data structures and data analysis tools for the Python programming language."
  - matplotlib: "A 2D plotting library which produces quality figures in a variety of hardcopy formats and interactive environments across platforms."
- scikit-learn: "Simple and efficient tools for data mining and data analysis."
- flask: "A micro Web development framework for Python."
- **django**: "A high-level Python Web framework that encourages rapid development and clean, pragmatic design."



#### pip

A tool for installing Python packages.

\$ pip install package\_name

#### Virtual Environments: virtualenv

"Python 'Virtual Environments' allow Python packages to be installed in an isolated location rather than being installed globally."

Virtual environments have separate and distinct directories for installed packages.

- **venv**: Available by default in Python 3.3+
- virtualenv: Must be installed separately (pip install virtualenv)

I use virtualenv with a tool called virtualenvwrapper.

More info: https://virtualenvwrapper.readthedocs.io

#### Virtual Environments: virtualenvwrapper

```
$ mkvirtualenv -p /usr/local/bin/python3.6 mpcs
Running virtualenv with interpreter /usr/local/bin/python3.6
Using base prefix '/usr/local'
New python executable in /home/flees/Envs/mpcs/bin/python3.6
Also creating executable in /home/flees/Envs/mpcs/bin/python
Installing setuptools, pip, wheel...done.
virtualenvwrapper.user_scripts creating /home/flees/Envs/mpcs/bin/predeactivate
virtualenvwrapper.user_scripts creating /home/flees/Envs/mpcs/bin/postdeactivate
virtualenvwrapper.user_scripts creating /home/flees/Envs/mpcs/bin/postactivate
virtualenvwrapper.user_scripts creating /home/flees/Envs/mpcs/bin/postactivate
virtualenvwrapper.user_scripts creating /home/flees/Envs/mpcs/bin/get_env_details
```



# Python Scientific Stack



#### NumPy



#### **Data Types in Python**

We have seen that Python's dynamic typing makes it very flexible, but this flexibility comes at a cost.

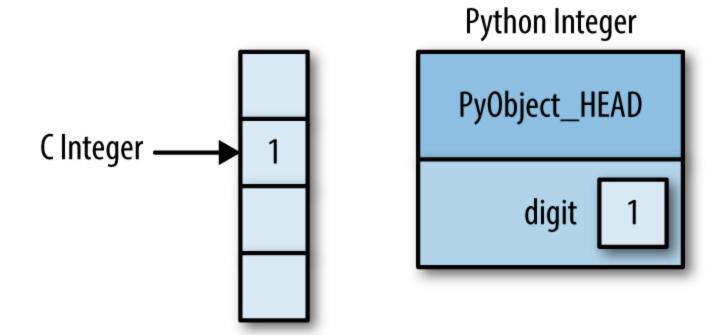
Instances of many of Python's built-in types are "cleverly disguised C structures," containing the data associated with the object, along with header information:

- ob\_refcnt: a reference count used for garbage collection
- ob\_type: the type of the object
- ob\_size: the size of the data members



#### Data Types in Python: Integer

Whereas a C integer is "essentially a label for a position in memory whose bytes encode an integer value," a Python integer is an object in memory containing the object's header info, in addition to the integer value itself.



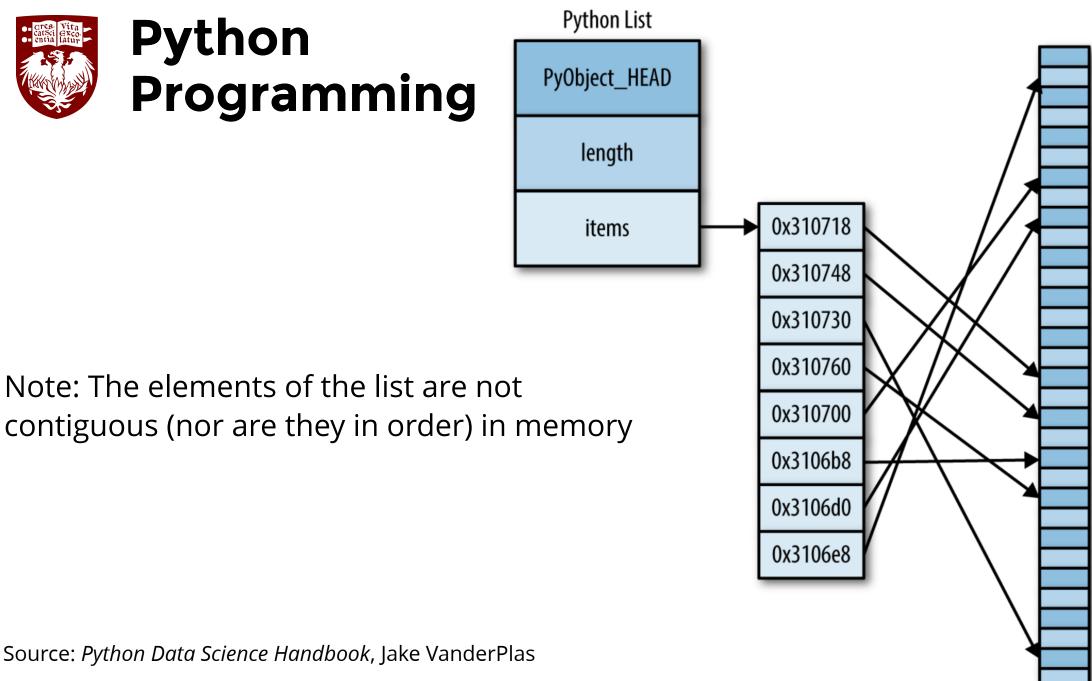


#### **Data Types in Python: List**

Lists are an example of an extremely flexible data type in Python. Aside from the conveniences afforded to us by way of Python's dynamic typing, a Python list can contain elements of heterogeneous types.

In order to accomplish this, each element of a Python list is itself a Python object, complete with all the necessary header information (even if the list happens to contain homogenous elements exclusively).





contiguous (nor are they in order) in memory

Source: Python Data Science Handbook, Jake VanderPlas

#### Fixed-Type Arrays in Python

When working with homogenous data, Python makes a few alternatives to the **list** type available to us.

The **array** module can be used to create dense, homogenous arrays.

```
>>> import array
>>> ar = array.array('i', range(10))
>>> # the argument 'i' indicates a type.
>>> # see help(array.array) for more
>>> ar
array('i', [0, 1, 2, 3, 4, 5, 6, 7, 8, 9])
```



#### **Enter NumPy**

#### Efficient Storage + Efficient Operations: ndarray

"While Python's **array** object provides efficient storage of array-based data, NumPy adds to this efficient *operations* on that data."

import numpy as np

#### **NumPy Arrays**

NumPy arrays are constrained to a single type and represent a single contiguous block of data. They lack the flexibility of the Python list, but can be more efficient for storage and manipulation of the data they contain.

NumPy will upcast data where possible for data of different types in a single array. For example, integers can be upcast to floats.

```
>>> import numpy as np
>>> np.array([1, 2, 3, 4.0, 5])
array([ 1., 2., 3., 4., 5.])
```

#### **NumPy Arrays**

You can specify the type of the elements of the array using the **dtype** keyword in the **np.array** constructor.

```
>>> import numpy as np
>>> np.array([1, 2, 3, 4, 5], dtype='float32')
array([ 1., 2., 3., 4., 5.])
```



#### **NumPy Arrays**

NumPy arrays are multidimensional. The arrays we've seen are simple a special case of an array with just one axis.

- **axes**: In Numpy, dimensions are often called axes.
- rank: The number of axes in an ndarray (given by ndim attribute).
- **length**: The number of elements in a given axis of an ndarray.
- **shape**: The size of the array in each axis/dimension (represented as a tuple).
- **size**: The total number of elements in the array in all axes.
- **itemsize**: The size in bytes of each element in the array. (Can be specified in the constructor.)
- data: The buffer containing the actual elements. Generally not accessed directly.

## Python Programming

#### **Multidimensional NumPy Arrays**

```
>>> import numpy as np
>>> md = np.array([[1, 2, 3], [4, 5, 6]], dtype='float64')
>>> md[0, 1]
2.0
>>> # row access: index 0 row
>>> md[0,:]
array([ 1., 2., 3.])
>>> # column access: index 0 column
>>> md[:,0]
array([ 1., 4.])
>>> # subset
>>> md[:2,:2]
array([[ 1., 2.],
    [4., 5.]]
```



### Python Programming

#### **Creating NumPy Arrays**

Create multidimensional arrays of zeros or ones.

```
>>> import numpy as np
\rightarrow \rightarrow np.zeros([4, 5])
array([[ 0., 0., 0., 0., 0.],
       [ 0., 0., 0., 0., 0.],
       [ 0., 0., 0., 0., 0.],
       [0., 0., 0., 0., 0.]
>>> np.ones([3, 2])
array([[ 1., 1.],
      [1., 1.],
       [1., 1.]
```



Create multidimensional array of a single arbitrary value

```
>>> import numpy as np
>>> np.full([7, 4], np.pi)
array([[ 3.14159265, 3.14159265, 3.14159265,
                                              3.14159265],
      [ 3.14159265, 3.14159265, 3.14159265,
                                              3.14159265],
      [ 3.14159265, 3.14159265, 3.14159265,
                                              3.14159265],
      [ 3.14159265, 3.14159265, 3.14159265,
                                              3.14159265],
      [ 3.14159265, 3.14159265,
                                 3.14159265,
                                              3.14159265],
      [ 3.14159265, 3.14159265, 3.14159265,
                                              3.14159265],
                                              3.14159265]])
      [ 3.14159265, 3.14159265, 3.14159265,
```



Create an array of a linear sequence, stepping by a given value.

```
>>> import numpy as np
>>> np.arange(0, 10, 2)
array([0, 2, 4, 6, 8])
```

Create an array of a values between two endpoints, evenly spaced.

```
>>> import numpy as np
>>> np.linspace(0, .5, 5)
array([ 0. , 0.125, 0.25 , 0.375, 0.5 ])
```



Create an array of uniformly-distributed random values between 0 and 1.

Create an array of normally-distributed random values with mean 0 and stdev 1

Create an *n* x *n* identity matrix

```
>>> import numpy as np
>>> np.eye(5)
array([[ 1., 0., 0., 0., 0.],
      [ 0., 1., 0., 0., 0.],
      [0., 0., 1., 0., 0.],
      [ 0., 0., 0., 1., 0.],
      [0., 0., 0., 1.]]
```



#### **NumPy Array Attributes**

```
>>> import numpy as np
>>> a = np.array([range(4), range(4, 8)])
>>> a
array([[0, 1, 2, 3],
       [4, 5, 6, 7]]
```

```
>>> a.shape
(2, 4)
>>> a.ndim
>>> a.size
```

```
>>> a.dtype
dtype('int64')
>>> a.nbytes # total size in bytes of array
64
>>> a.itemsize # size in bytes of each element
```



#### Reshaping NumPy Arrays

```
>>> import numpy as np
>>> a = np.array([range(4), range(4, 8)])
>>> a
array([[0, 1, 2, 3],
       [4, 5, 6, 7]])
>>> a.reshape(4, 2)
array([[0, 1],
      [2, 3],
       [4, 5],
       [6, 7]])
>>> a.ravel()
array([0, 1, 2, 3, 4, 5, 6, 7])
```



#### Reshaping NumPy Arrays

Transpose of ndarray

```
>>> import numpy as np
>>> a = np.array([range(4), range(4, 8)])
>>> a
array([[0, 1, 2, 3],
     [4, 5, 6, 7]]
>>> a.T
array([[0, 4],
       [1, 5],
       [2, 6],
       [3, 7]])
```



#### Reshaping NumPy Arrays

Modify in place using **resize**. No return value.

```
>>> import numpy as np
>>> a = np.array([range(4), range(4, 8)])
>>> a
array([[0, 1, 2, 3],
       [4, 5, 6, 7]]
>>> a.resize(4, 2)
>>> a
array([[0, 1],
       [2, 3],
       [4, 5],
       [6, 7]])
```



#### Concatenate, Stack NumPy Arrays

```
>>> import numpy as np
>>> x = np.array([1, 2, 3])
>>> y = np.array([4, 5, 6])
>>> np.concatenate([x, y])
array([1, 2, 3, 4, 5, 6])
>>> np.vstack([x, y])
array([[1, 2, 3],
       [4, 5, 6]]
>>> np.hstack([x, y])
array([1, 2, 3, 4, 5, 6])
```



#### **Split NumPy Arrays**

```
\rightarrow \rightarrow grid = np.arange(16).reshape((4, 4))
>>> grid
array([[ 0, 1, 2, 3],
      [4, 5, 6, 7],
      [8, 9, 10, 11],
       [12, 13, 14, 15]])
>>> upper, lower = np.vsplit(grid, [2])
>>> upper
array([[0, 1, 2, 3],
       [4, 5, 6, 7]])
>>> lower
array([[ 8, 9, 10, 11],
       [12, 13, 14, 15]])
```



## Python Programming

#### **Split NumPy Arrays**

```
\rightarrow \rightarrow grid = np.arange(16).reshape((4, 4))
>>> grid
array([[0, 1, 2, 3],
    [4, 5, 6, 7],
      [8, 9, 10, 11],
       [12, 13, 14, 15]]
>>> left, right = np.hsplit(grid, [2])
>>> left
array([[ 0, 1],
    [4, 5],
    [8, 9],
     [12, 13]]
>>> right
array([[ 2, 3],
    [6, 7],
      [10, 11],
       [14, 15]
```

#### **Operations on NumPy Arrays**

NumPy provides operations optimized for computation on arrays of data.

"The key to making it fast is to use *vectorized* operations, generally implemented through NumPy's *universal functions* (ufuncs)."



#### **Operations on NumPy Arrays**

Python's flexibility comes with costs. Python has a reputation for slowness in some contexts. Other implementations of the Python interpreter attempt to overcome some of the default implementation's shortcomings (e.g., Cython, PyPy, Numba).

"The relative sluggishness of Python generally manifests itself in situations where many small operations are being repeated—for instance, looping over arrays to operate on each element."

"It turns out that the bottleneck... is not the operations themselves, but the type-checking and function dispatches that CPython must to at each cycle of the loop." (This is where compiled code has an advantage.)

NumPy provides *vectorized* operations via *ufuncs* as an alternative and a way to circumvent bottlenecks of this natures.

Ufuncs' "main purpose is to quickly execute repeated operations on values in NumPy arrays. They are always more efficient than their pure Python loop counterparts, and gain a larger advantage as the arrays grow larger.

**Vectorized operations**: "Designed to push the loop into the compiled layer that underlies NumPy, leading to much faster execution."



#### **Array Arithmetic**

UFuncs rely on Python's native arithmetic operators. Both unary and binary.

```
>>> a = np.arange(4)
>>> a
array([0, 1, 2, 3])
>>> -a
array([0, -1, -2, -3])
>>> a ** 2
array([0, 1, 4, 9])
>>> a % 2
array([0, 1, 0, 1])
```

```
>>> a + 5
array([5, 6, 7, 8])
>>> a - 5
array([-5, -4, -3, -2])
>>> a * 5
array([ 0, 5, 10, 15])
>>> a / 2
array([ 0., 0.5, 1., 1.5])
>>> a // 2
array([0, 0, 1, 1])
```

#### **Array Arithmetic**

Operations may be combined in a single expression

```
>>> a = np.arange(4)

>>> a

array([0, 1, 2, 3])

>>> -(0.5 * a + 1) ** 2

array([-1. , -2.25, -4. , -6.25])
```



## **Array Arithmetic**

Arithmetic operators are wrappers around NumPy functions:

Operator	ufunc
+	np.add
-	np.subtract
-	np.negative
*	np.multiply
/	np.divide
//	np.floor_divide
**	np.power
%	np.mod



#### **Additional UFuncs**

```
>>> theta = np.linspace(0, np.pi, 3)
>>> theta
array([ 0. , 1.57079633, 3.14159265])
>>> np.sin(theta)
array([ 0.0000000e+00, 1.0000000e+00, 1.22464680e-16])
>>> np.cos(theta)
array([ 1.000000000e+00, 6.12323400e-17, -1.000000000e+00])
\Rightarrow \Rightarrow a = np.arange(1, 4)
>>> a
array([1, 2, 3])
>>> np.exp(a) # e^a
array([ 2.71828183, 7.3890561, 20.08553692])
>>> np.power(3, a) # 3^a
array([ 3, 9, 27])
>>> np.log2(a)
array([ 0. , 1. , 1.5849625])
>>> np.log10(a)
array([ 0. , 0.30103 , 0.47712125])
```

#### **Additional UFuncs**

More available in **scipy.special** 



#### **Aggregation Functions**

NumPy has fast, built-in aggregation functions.

```
\rightarrow > r = np.random.random(100)
>>> np.sum(r)
52.99375253776082
>>> np.min(r)
0.0081027571379002072
>>> np.max(r)
0.99797088321988947
>>> np.mean(r)
0.52993752537760819
>>> np.std(r)
0.27140987164892916
>>> np.argmin(r)
78
>>> np.argmax(r)
75
```

```
>>> np.percentile(r, 25)
0.3427250127362183
>>> np.percentile(r, 50)
0.52259540992591191
>>> np.percentile(r, 75)
0.73915949663429936
>>> np.percentile(r, 100)
0.99797088321988947
>>> np.median(r)
0.52259540992591191
>>> np.var(r)
0.073663318428488195
```



#### **Broadcasting**

Binary operations on arrays of the same size are performed element-wise. *Broadcasting* allows us to perform binary operations on arrays of different sizes. We can think of the operation "broadcasting" the smaller array across the larger array.

We saw this with scalars in the first examples of binary operations on ndarrays. (Think of a scalar as a zero-dimensional array.)



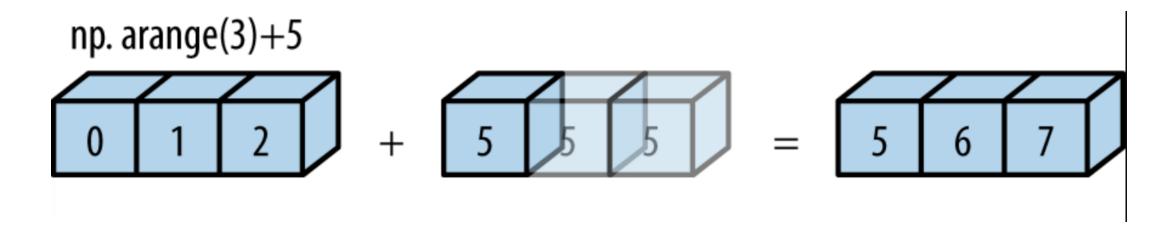
#### **Broadcasting**

```
>>> a = np.arange(4)
>>> a
array([0, 1, 2, 3])
>>> b = np.ones((3, 4))
>>> b
array([[ 1., 1., 1., 1.],
      [1., 1., 1., 1.],
      [1., 1., 1., 1.]
>>> a + b
array([[ 1., 2., 3., 4.],
    [ 1., 2., 3., 4.],
      [ 1., 2., 3., 4.]])
```

The smaller array, **a** is being stretched or broadcast over the larger array, **b**'s second dimension to match its shape.



#### **Broadcasting**

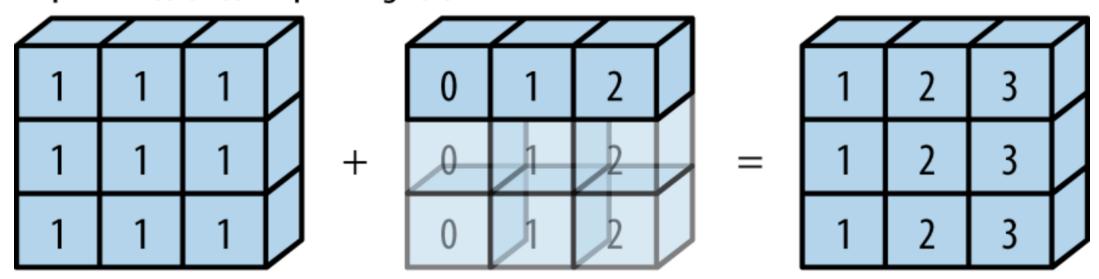


Note: No extra memory is allocated.



#### **Broadcasting**

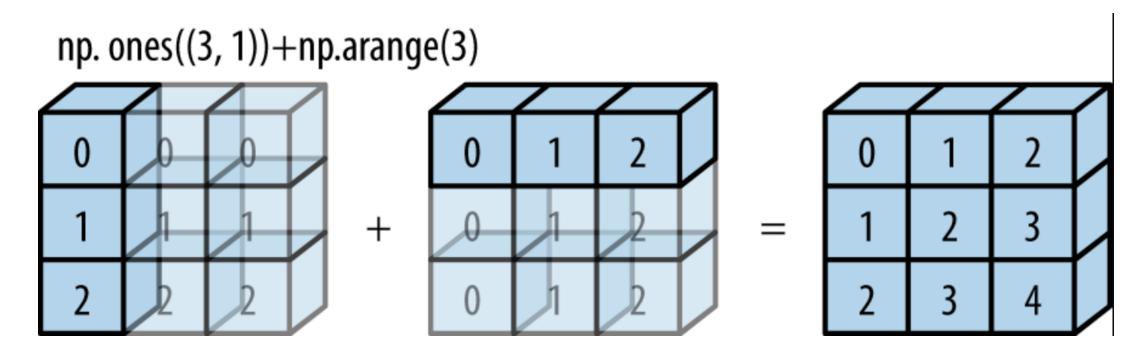
np. ones((3, 3))+np.arange((3))



Note: No extra memory is allocated.



#### **Broadcasting**



Note: No extra memory is allocated.



# **Rules of Broadcasting**

#### Rule 1:

If two arrays differ in their number of dimensions, the shape of the one with fewer dimensions is *padded* with ones on its leading (left) side.

#### Rule 2:

If the shape of the two arrays does not match in any dimension, the array with shape equal to 1 in that dimension is stretched to match the other shape.

#### Rule 3:

If in any dimension the sizes disagree and neither is equal to 1, an error is raised.



#### **Comparison Operators as UFuncs**

```
>>> a = np.arange(5)
>>> a > 3
array([False, False, False, True], dtype=bool)
>>> a <= 4
array([ True, True, True, True, True], dtype=bool)
>>> a != 3
array([ True, True, True, False, True], dtype=bool)
>>> (2 * a) == (a ** 2)
array([ True, False, True, False, False], dtype=bool)
```



### **Comparison Operators as UFuncs**

Operator	UFunc
==	np.equal
!=	np.not_equal
<	np.less
<=	np.less_equal
>	np.greater
>=	np.greater_equal



### **Any and All**

```
\rightarrow \rightarrow r = np.random.randint(10, size=(3, 4))
>>> r
array([[3, 2, 9, 3],
   [5, 8, 1, 0],
       [1, 4, 1, 4]]
\rightarrow \rightarrow r < 6
array([[ True, True, False, True],
        [ True, False, True, True],
        [ True, True, True]], dtype=bool)
\rightarrow > np.any(r < 6)
True
\rightarrow \rightarrow np.all(r < 9)
False
```

#### **Boolean Operators**

With Python's bitwise logic operators (**&**, |, ^, ~), we can create more complex Boolean expressions.

```
>>> a = np.random.randint(100, size=(5,))
>>> a
array([66, 16, 23, 99, 22])
>>> # count values between 20 and 70, exclusive
>>> np.sum((a > 20) & (a < 70))
3
```

## **Boolean Logical Operators as UFuncs**

Operator	UFunc
&	np.bitwise_and
	np.bitwise_or
٨	np.bitwise_xor
~	np.bitwise_not

We don't use the **and** and **or** keywords because they will effectively evaluate the truth or falsehood of the *entire object*. Instead, we're interested in the *bits within each object*. We're performing *multiple* Boolean evaluations on the content of the object.

#### **Boolean Arrays as Masks**

Using Boolean arrays as masks to select particular subsets of an array can be a useful pattern.

```
>>> a = np.random.randint(100, size=(5,))
>>> a
array([66, 16, 23, 99, 22])
>>> # boolean array
>>> (a > 20) & (a < 70)
array([ True, False, True, False, True], dtype=bool)
>>> # mask original array with boolean array
>>> a[(a > 20) & (a < 70)]
array([66, 23, 22])</pre>
```



#### **Fancy Indexing**

With fancy indexing, we can pass an array or list into square brackets to sample the original array. The shape of the result reflects the shape of the index arrays, rather than the shape of the array being indexed.



#### **Sorting Arrays**

Python has built-in **sort** and **sorted** functions. NumPy's **np.sort** function is much more efficient. Uses O(n\*lg n) quicksort, but mergesort and heapsort are available.

```
>>> a = np.random.randint(100, size=(10,))
>>> a
array([72, 43, 60, 21, 58, 21, 78, 33, 28, 29])
>>> np.sort(a)
array([21, 21, 28, 29, 33, 43, 58, 60, 72, 78])
>>> np.argsort(a)
array([3, 5, 8, 9, 7, 1, 4, 2, 0, 6])
```



### **Sorting Arrays Along Rows and Columns**

Python has built-in **sort** and **sorted** functions. NumPy's **np.sort** function is much more efficient. Uses O(n\*lg n) quicksort, but mergesort and heapsort are available.

```
>>> a = np.random.randint(100, size=(3, 10))
>>> a
array([[19, 41, 92, 85, 28, 44, 85, 95, 93, 0],
       [74, 25, 29, 29, 68, 80, 14, 54, 59, 36],
       [81, 30, 69, 18, 60, 26, 80, 30, 53, 49]])
>>> np.sort(a, axis=0)
array([[19, 25, 29, 18, 28, 26, 14, 30, 53, 0],
       [74, 30, 69, 29, 60, 44, 80, 54, 59, 36],
       [81, 41, 92, 85, 68, 80, 85, 95, 93, 49]])
>>> np.sort(a, axis=1)
array([[ 0, 19, 28, 41, 44, 85, 85, 92, 93, 95],
       [14, 25, 29, 29, 36, 54, 59, 68, 74, 80],
       [18, 26, 30, 30, 49, 53, 60, 69, 80, 81]])
```

# Python Programming Structured Arrays

NumPy's *structured arrays* or *record arrays* provide efficient storage for compound, heterogeneous data.

```
>>> name = ['Rizzo', 'Schwarber', 'Bryant', 'Contreras']
>>> homeruns = [32, 30, 29, 21]
>>> age = [27, 24, 25, 25]
>>> # create structured array with all zeros
>>> x = np.zeros(4, dtype={'names':('name', 'homeruns', 'age'), 'formats':('U10', 'i4', 'i4
>>> x
array([('', 0, 0), ('', 0, 0), ('', 0, 0), ('', 0, 0)],
      dtype=[('name', '<U10'), ('homeruns', '<i4'), ('age', '<i4')])</pre>
>>> # fill array with lists of values
>>> x['name'] = name
>>> x['homeruns'] = homeruns
>>> x['age'] = age
>>> x
array([('Rizzo', 32, 27), ('Schwarber', 30, 24), ('Bryant', 29, 25),
       ('Contreras', 21, 25)],
      dtype=[('name', '<U10'), ('homeruns', '<i4'), ('age', '<i4')])
```

# Python Programming Structured Arrays

NumPy's *structured arrays* or *record arrays* provide efficient storage for compound, heterogeneous data.

```
>>> name = ['Rizzo', 'Schwarber', 'Bryant', 'Contreras']
>>> homeruns = [32, 30, 29, 21]
>>> age = [27, 24, 25, 25]
>>> x = np.zeros(4, dtype={'names':('name', 'homeruns', 'age'), 'formats':('U10', 'i4', 'i4
>>> x['name'] = name
>>> x['homeruns'] = homeruns
>>> x['age'] = age
>>> x[0]
('Rizzo', 32, 27)
>>> x[0]['age']
>>> x[1]
'Schwarber'
>>> x[1]['homeruns']
30
```



# Python Scientific Stack



# **Pandas**



#### **Pandas**

Pandas builds on the structured data tools available in NumPy by giving us a data structure called a **DataFrame**, which acts as a multidimensional array with row and column labels, heterogeneous types, and/or missing data.

"As well as offering a convenient storage interface for labeled data, Pandas implements a number of powerful data operations familiar to users of both database frameworks and spreadsheet programs."

import pandas as pd



A **Series** is a one-dimensional array of indexed data. It wraps:

- A sequence of values (accessible via **values** attribute).
- A sequence of indices (accessible via **index** attribute).

```
>>> import pandas as pd
>>> data = pd.Series([0.25, 0.5, 0.75, 1.0])
>>> data
0     0.25
1     0.50
2     0.75
3     1.00
dtype: float64
>>> data.values
array([ 0.25,  0.5 ,  0.75,  1. ])
>>> data.index
RangeIndex(start=0, stop=4, step=1)
```



Data is accessible by offset (index) in square brackets.

```
>>> data = pd.Series([0.25, 0.5, 0.75, 1.0])
>>> data
     0.25
     0.50
     0.75
     1.00
dtype: float64
>>> data[1]
0.5
>>> data[1:3]
     0.50
     0.75
dtype: float64
```



We may consider a Pandas **Series** object as a generalized NumPy array. Whereas a NumPy array has an implicit integer index, a Pandas **Series** has an explicit index that may consist of values of any type.

```
>>> data = pd.Series(np.linspace(0.25, 1.0, 4),
... index=['a', 'b', 'c', 'd'])
>>> data
a     0.25
b     0.50
c     0.75
d     1.00
dtype: float64
>>> data['c']
0.75
```



There exists no requirement that an index be sequential.

```
>>> data = pd.Series(np.linspace(0.25, 1, 4),
   index=[2, 5, 3, 7])
>>> data
    0.25
   0.50
   0.75
     1.00
dtype: float64
>>> data[5]
```



We may also consider a Pandas **Series** a specialized dictionary. Whereas a Python **dict** maps a set of arbitrary keys to a set of arbitrary values, a **Series** maps a set of *typed* keys to a set of *typed* values.

"This typing is important: just as the type-specific compiled code behind a NumPy array makes it more efficient than a Python list for certain operations, the type of information of a Pandas **Series** makes it more efficient than a Python dictionary for certain operations."



```
>>> cubs hr = {'Rizzo': 32, 'Schwarber': 30,
              'Bryant': 29, 'Contreras': 21}
>>> cubs hr series = pd.Series(cubs hr)
>>> # note that the index becomes the sorted keys
>>> cubs hr series
Bryant
Contreras 21
       32
Rizzo
Schwarber 30
dtype: int64
>>> cubs hr series['Rizzo']
32
```



The **Series** supports array-style operations, like slicing:

```
>>> cubs hr = {'Rizzo': 32, 'Schwarber': 30,
              'Bryant': 29, 'Contreras': 21}
>>> cubs hr series = pd.Series(cubs hr)
>>> cubs hr series['Bryant':'Rizzo']
Bryant
Contreras 21
Rizzo 32
dtype: int64
>>> cubs hr series.index
Index(['Bryant', 'Contreras', 'Rizzo', 'Schwarber'], dtype='object')
>>> cubs hr series.values
array([29, 21, 32, 30])
```



Pandas **Series** can be created from

- Lists, NumPy arrays: **index** defaults to sequence of integers.
- Dictionaries: **index** defaults to sorted keys of the dictionary.
- Scalars: value repeated to fill given **index**.



# Pandas: DataFrame Object

"If a **Series** is an analog of a one-dimensional array with flexible indices, a **DataFrame** is an analog of a two-dimensional array with both flexible row indices and flexible column names."

"Just as you might think of a two-dimensional array as an ordered sequence of aligned one-dimensional columns, you can think of a **DataFrame** as a sequence of aligned **Series** objects. Here, by 'aligned' we mean that they share the same index."



```
>>> hr dict = {'Rizzo': 32, 'Schwarber': 30,
               'Bryant': 29, 'Contreras': 21}
>>> avg dict = {'Rizzo': .273, 'Schwarber': .211,
              'Bryant': .295, 'Contreras': .276}
>>> hr = pd.Series(hr dict)
>>> avg = pd.Series(avg dict)
>>> cubs = pd.DataFrame({'home runs': hr, 'batting average': avg})
>>> cubs
           batting average home runs
Bryant
                     0.295
Contreras
                     0.276
                                   32
Rizzo
                     0.273
Schwarber
                                   30
                     0.211
```



#### A **DataFrame** has attributes:

- **index**: An **Index** object. The values are the row/index labels.
- columns: An index object. The values are the column labels.

```
>>> cubs
          batting average home runs
Bryant
                   0.295
                                29
                   0.276 21
Contreras
Rizzo
                 0.273 32
Schwarber
                   0.211
                         30
>>> cubs.index
Index(['Bryant', 'Contreras', 'Rizzo', 'Schwarber'], dtype='object')
>>> cubs.columns
Index(['batting average', 'home runs'], dtype='object')
```



Another way to frame our understanding of the **DataFrame** object is to consider it a specialized dictionary. Whereas a dictionary maps arbitrary keys to arbitrary values, a **DataFrame** maps a column name to a **Series** of column data.

```
>>> cubs
         batting average home runs
                 0.295
Bryant
                 0.276
Contreras
Rizzo
                 0.273
Schwarber
                 0.211
                             30
>>> cubs['batting average']
Bryant 0.295
Contreras 0.276
Rizzo 0.273
Schwarber 0.211
Name: batting average, dtype: float64
```

```
>>> cubs['home_runs']
Bryant 29
Contreras 21
Rizzo 32
Schwarber 30
Name: home_runs, dtype: int64
```



Because the \_\_getitem\_\_ behavior of a **DataFrame** returns a column, our conceptualization of the **DataFrame** as a two-dimensional ndarray may be misleading. For this reason, the specialized dictionary conceptualization is preferable.



#### **Data Indexing and Selection**

```
>>> data = pd.Series(np.linspace(.25, 1, 4),
                     index=['a', 'b', 'c', 'd'])
>>> data
   0.25
a
b 0.50
  0.75
     1.00
dtype: float64
>>> # access element by index like a dictionary
>>> data['b']
0.5
>>> # access element by implicit integer index
>>> data[2]
0.75
```



#### Data Indexing and Selection: Series

```
>>> # extend series
>>> data['e'] = 1.25
>>> # slicing by explicit index
>>> data['a':'c']
 0.25
b 0.50
  0.75
dtype: float64
>>> # slicing by implicit index
>>> data[0:2]
   0.25
 0.50
dtype: float64
```

```
>>> # masking
>>> data[(data > 0.3) & (data < 0.8)]
0.50
  0.75
dtype: float64
>>> # fancy indexing
>>> data[['a', 'e']]
a 0.25
e 1.25
dtype: float64
```

#### **Python Programming Data Indexers: Series**

```
>>> data = pd.Series(np.linspace(.25, 1, 4), index=['a', 'b', 'c', 'd'])
>>> # always references explicit index
>>> data.loc['a']
0.25
>>> data.loc['a':'c']
  0.25
a
  0.50
  0.75
dtype: float64
>>> # always references implicit index
>>> data.iloc[1]
0.5
>>> data.iloc[1:3]
    0.50
b
     0.75
dtype: float64
```



#### **Data Selection: DataFrames**

```
>>> ab = pd.Series({'Rizzo': 572, 'Bryant': 549, 'Baez': 469, 'Zobrist': 435})
>>> hits = pd.Series({'Rizzo': 156, 'Bryant': 162, 'Baez': 128, 'Zobrist': 101})
>>> cubs = pd.DataFrame({'at bats': ab, 'hits': hits})
>>> cubs['hits'] # dictionary-style indexing
          128
Baez
Bryant 162
Rizzo 156
Zobrist 101
Name: hits, dtype: int64
>>> cubs.hits # attribute-style access with column names that are strings
Baez
          128
Bryant 162
Rizzo 156
Zobrist 101
Name: hits, dtype: int64
>>> cubs['hits'] is cubs.hits
```



#### **Data Selection: DataFrames**

```
>>> ab = pd.Series({'Rizzo': 572, 'Bryant': 549, 'Baez': 469, 'Zobrist': 435})
>>> hits = pd.Series({'Rizzo': 156, 'Bryant': 162, 'Baez': 128, 'Zobrist': 101})
>>> cubs = pd.DataFrame({'at bats': ab, 'hits': hits})
>>> cubs
        at bats hits
            469
               128
Baez
           549 162
Bryant
Rizzo 572 156
Zobrist 435 101
>>> # add a new column using dictionary-style assignment
>>> cubs['avg'] = cubs['hits'] / cubs['at_bats']
>>> cubs
        at bats hits
                          avq
           469
               128
                      0.272921
Baez
Bryant 549 162
                      0.295082
Rizzo
       572 156
                      0.272727
Zobrist
           435 101
                      0.232184
```



#### **Data Selection: DataFrames**

```
>>> cubs
        at bats hits
                          avq
            469 128
                      0.272921
Baez
           549 162
Bryant
                      0.295082
Rizzo
     572 156
                      0.272727
Zobrist
           435 101
                      0.232184
>>> # transpose
>>> cubs.T
                                  Rizzo
                                            Zobrist
                      Bryant
             Baez
at bats 469.000000 549.000000 572.000000
                                        435.000000
hits
       128.000000 162.000000 156.000000
                                        101.000000
          0.272921
                  0.295082
                             0.272727
                                           0.232184
avq
>>> # values as 2-d array
>>> cubs.values
array([[ 4.6900000e+02,
                         1.28000000e+02,
                                         2.72921109e-01],
      5.49000000e+02,
                         1.62000000e+02, 2.95081967e-01],
         5.72000000e+02,
                         1.56000000e+02,
                                         2.72727273e-01],
         4.35000000e+02, 1.01000000e+02,
                                         2.32183908e-0111)
```

#### Data Indexing: DataFrames

```
>>> cubs.loc['Rizzo']
at bats 572.000000
hits 156.000000
avg 0.272727
Name: Rizzo, dtype: float64
>>> cubs.loc['Rizzo', 'hits']
156
>>> cubs.iloc[0]
at bats 469.000000
hits 128.000000
avg 0.272921
Name: Baez, dtype: float64
>>> cubs.iloc[0, 0]
469
```

```
>>> cubs.loc['Rizzo':'Zobrist', 'hits']
Rizzo 156
Zobrist 101
Name: hits, dtype: int64
>>> cubs.loc['Rizzo':'Zobrist']
       at bats hits avg
Rizzo 572 156 0.272727
Zobrist 435 101 0.232184
>>> cubs.iloc[0:2]
      at bats hits avg
Baez 469 128 0.272921
Bryant 549 162 0.295082
>>> cubs.iloc[0:2, 1:2]
      hits
Baez 128
Bryant 162
```



#### Data Indexing: DataFrames

```
>>> # masking
>>> cubs[cubs['at bats'] < 500]
       at bats hits avg
      469 128 0.272921
Baez
Zobrist 435 101 0.232184
>>> cubs[(cubs['at bats'] < 500) & (cubs['hits'] > 120)]
     at bats hits avg
Baez 469 128 0.272921
```



#### **DataFrame Operations**

Pandas **DataFrame** objects inherit efficient element-wise operations from NumPy. Additionally, **DataFrame** objects "include a couple of useful twists":

For unary operations, ... ufuncs will *preserve index and column labels* in the output.

```
>>> df = pd.DataFrame(np.random.randint(0, 10, (3, 4)), columns=['A', 'B', 'C', 'D'])
>>> df

A B C D

0 8 3 6 9

1 1 0 4 2

2 5 8 3 7
>>> np.sin(df * np.pi / 4)

A B C D

0 -2.449294e-16 7.071068e-01 -1.000000e+00 0.707107

1 7.071068e-01 0.000000e+00 1.224647e-16 1.000000

2 -7.071068e-01 -2.449294e-16 7.071068e-01 -0.707107
```



#### Creation of DataFrame from File

```
>>> df_from_csv = pd.read_csv('/path/to/file.csv')
>>> df_from_web_csv = pd.read_csv('http://somewebresource.com/resource')
>>> df_from_json = pd.read_json('/path/to/file.json')
>>> df_from_web_json = pd.read_json('http://somewebresource.com/resource')
```



# Python Scientific Stack



## matplotlib



#### Matplotlib

"Matplotlib is a multiplatform data visualization library built on NumPy arrays, and designed to work with the broader SciPy stack. It was conceived by John Hunter in 2002, originally as a patch to IPython for creating interactive MATLAB-style plotting via gnuplot from the IPython command line."

```
import matplotlib as mpl
import matplotlib.pyplot as plt

# we will focus on plt
```



#### Sources

- Learning Python, Mark Lutz, O'Reilly
- Data Science Handbook, Jake VanderPlas, O'Reilly