

1. Given a ray $R(t) = \mathbf{o} + t\mathbf{d}$, and a cone whose radius is r and height is h with its base centered at the origin of the $X - Y$ plane and its apex at $\langle 0, 0, h \rangle$.
 - (a) What is the polynomial whose roots determine the intersection points of $R(t)$ with the side of the cone?
 - (b) If the ray intersects the side of the cone at the point $\mathbf{p} = \langle x, y, z \rangle$, where $0 < z < h$, what is the unit normal of the cone's surface at \mathbf{p} .
2. An *oriented bounding box* (OBB) can be represented by a center point \mathbf{c} , a 3×3 rotation matrix \mathbf{R} (the columns of this matrix define the axes of the OBB), and a vector \mathbf{s} of extents (the distances from the center to the sides along each of the OBB's axes).
 - (a) Define a transformation that maps the OBB to a $2 \times 2 \times 2$ cube centered at the origin.
 - (b) Give pseudo code for testing if a ray $R(t) = \mathbf{o} + t\mathbf{d}$ intersects the OBB. You may use mathematical notation in your solution (*e.g.*, dot products) and you do not have to worry about floating-point errors.