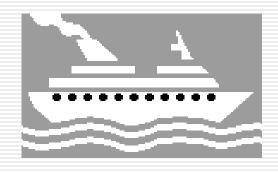
Computing Iceberg Queries Efficiently -

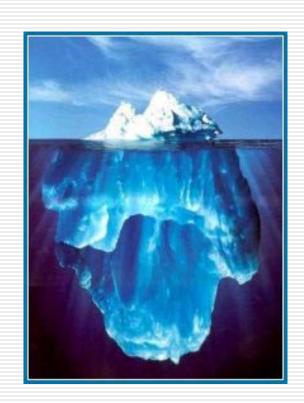
A summary of the paper by Fang, et al.

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## Aggregate Function

# Definition: a function that performs computation on a *set* of values rather than on a single value

- Examples: COUNT, SUM, AVG, etc.
- Suppose we would like to eliminate aggregate values below some threshold. Sounds simple enough?
- □ Table 1 consider the relation
- ☐ SELECT target1, target2, count(rest)
  FROM R
  GROUP BY target1, target2
  HAVING count(rest) >= T
- $\Box$  If T = 3, we get the tuple <a,e,3>.
- **ICEBERG QUERY** The relation R and the number of unique target values are typically huge (the iceberg), and the answer is very small
- Picture 1 demonstration

Why are Iceberg Queries a concern? The amount of targets can get very large and must be computed efficiently!

"The *time* to execute iceberg queries dominates the cost of producing interesting association rules" – Park et al. ACM SIGMOD, May '95

What are some good ideas for efficiency?
Use compact, in memory data structures. A nice start. But how?
Maintain array of counters in main memory, one counter for each unique target set -> answer query in single pass over data. <b>Insufficient - R usually X times larger than available memory.</b>
Sort R on disk, then do a pass over it aggregating and selecting targets above the threshold. Fine if you are willing to wait weeks (Gigabytes) or months (Terabytes).
Unfair assumption – R is materialized. With the newest Wal-Mart data, R could easily be too large to be explicitly materialized.

Example – finding word pairs in 100,000 web documents, avg word length 118 words. Original storage, 500 MB.

R over which the iceberg query is to be executed has all pairs of words that occur in the same document. New storage, 40 GB. **Answer size: 1MB!** 

Key: Avoid sorting or hashing realized or unrealized R by keeping compact, in-memory structures that allow use to identify **threshold targets**.

Solution: Extend sampling and multiple hash function algorithms to improve performance and reduce memory requirements.

- Why work with these new algorithms? Sounds like a lot of work
- Examples why executing Iceberg Queries with efficient care is important.
- □ Example 1 try the most current sorting technique. Large response time to query. Need to make algorithm that performs different amount of work depending on size of query's output
- What if we change criteria for selecting item to be \$10?
- Key point to keep in mind throughouth the paper: traditional techniques lead to unacceptable turnaround times and disk space. Their new algorithms make large improvements.

Terminology for the Algorithms - Assumptions

Beginning with Relation R with <target,rest> pairs.

Executing simple iceberg query with groups on the single target in R

- lacksquare ordered list of targets in R such that V[r] is  $r^{th}$  most frequent target in R ( $r^{th}$  highest rank),  $\mathbf{n} = |V|$
- □ **Freq(r)** the frequency of V[r] in R
- Area(r) total number of tuples in R with r most frequent targets
- Typical Iceberg Query: select target values with frequency higher than threshold T
- r<sub>t</sub> = max{r|Freq(r)>=T} gives: as an answer to the query
  H = {V[1], V[2], ..., V[r<sub>t</sub>]} ----- HEAVY TARGETS
  L = the remaining light values

# *a priori* flaws in their algorithms? You decide.

- $\square$  All their algorithms compute set of *potentially* heavy targets **\mathbf{F}** that contains as many members of **\mathbf{H}** as possible.
- $\Box$  F H!= { } -> false positive (light values reported as heavy).
  - Solution: use procedure *Count(F)...*
  - Scan and explictly count frequency of targets in F. Only targets that occur T or more times are output in the final answer.
- $\Box$  H F! = { } -> false negatives (heavy targets are missed). Very dangerous post processing to "regain" false negative inefficient.
  - Regain false negatives efficiently in *high skew* case example: very small fraction of targets account for 80% of tuples in R, while other targets together count for the other 20%.

Simple Algorithms to compute **F** – building blocks for the more sophisticated algorithms

#### SCALED-SAMPLING

- $\square$  Take random sample of size s from  $\mathbf{R}$ .
- □ If count of each target in the sample, scaled by N/S, exceeds the specified threshold, target is part of the candidate set F.
- □ PROS: Simple and efficient to run. ☺
- □ CONS: We obtain both false-positives and falsenegatives. Removing the shear amount of them is difficult. ⊗

Simple Algorithms to compute **F** – building blocks for the more sophisticated algorithms

COARSE-COUNT (Probablistic Counting)

- Intuition: Use an array A[1..m] of m counters and a hash function  $h_1$  which maps target values from  $\log_2 n$  bits to  $\log_2 m$  bits, m << n
- $\square$  Intialize all m entries of A to zero. Perform a linear scan of **R**.
- $\square$  For each tuple in **R** with target v,  $A[h_1(v)]++$  : THE HASHING SCAN (HS)
- Compute bitmap array  $BITMAP_1[1..m]$  by scanning through array A
  - If bucket i is heavy (i.e.  $A[i] \ge T$ ) then set  $BITMAP_1[i]$

Reclaim memory allocated to A.

Compute F by performing *candidate-selection* scan of **R**:

- Scan **R** and for each targer v whose  $BITMAP_1[h_1(v)] = 1$ , add v to **F**. Remove false-positives by executing  $Count(\mathbf{F})$ .

Pros: NO FALSE NEGATIVES

HYBRID techniques – combine sampling and counting approaches for a better algorithm.

- Intuition sample data to identify candidates for heavy targets, then use coarse-counting to remove false-negatives and false-positives.
- PROS: reduce number of targets that fall into heavy buckets –
   i.e. fewere light targets becoming false positives.
- Cons: more difficult to implement. You must make prudent choices on which algorithm to spend your time on depending on your R.
- In other words, you need to know a lot about the composition of your data a priori.

#### **DEFER-COUNT**

Intuition: Find a way to get fewer heavy bucket and therefore get fewer false positives

- First compute a small sample (size s << n) of the data using the sampling techniques mentioned.
- Select the f, f < s, most frequent targets in the sample and add them to  $\mathbf{F}$ .
- $\square$  Remove false positives by executing  $Count(\mathbf{F})$
- CONS: splits up main memory b/t samples set and buckets for counting.

It's also hard to choose good values for s and f that are useful for a variety of data sets. Overhead is also high.

#### **MULTI-LEVEL**

Intuition: Do not explicitly maintain list of potentially heavy targets in MM. Use the sampling phase to identify potentially heavy buckets.

- Peform sampling scan of data. For each target v, increment A[h(v)] for the hash function h.
- $\square$  After sampling s targets, consider each of the A buckets.
  - If  $A[i] > T \times s/n$ , mark the i<sup>th</sup> bucket to be potentially heavy.
  - For each i<sup>th</sup> bucket allocate m<sub>2</sub> auxiliary buckets in MM

NOW reset all counters in *A* array to zero. Perform hashing scan of data.

For each target v in the data, increment A[h(v)] if bucket corresponding to h(v) is **not** marked to be potentially heavy. If the bucket is marked, apply new hash function  $h_2(v)$  and increment corresponding auxiliary bucket

#### **MULTI-STAGE**

Intuition: use available memory more efficiently.

- Do the same pre-sampling phase as MULTI-LEVEL. (Identify heavy buckets)
- $\square$  But allocate a common pool of auxiliary buckets  $B[1,2,...,m_3]$ .
- Perform hashing scan of the data:
  - For each target v in the data, increment A[h(v)] if the bucket corresponding to h(v) is **not** market as potentially heavy.
  - If bucket is marked, apply the second hash function  $h_2$  and increment  $B[h_2(v)]$ .
- ☐ Disadvantage: determining how to split memory across primary buckets and auxiliary buckets can only be determined empirically ⊗

## MULTIBUCKET algorithms

Optimize the HYBRID algorithms and alleviate flaws

- ☐ Flaws in HYBRID algorithms:
  - Many false-positives if many light values fall into buckets with
    - Problem 1: One or more heavy targets
    - Problem 2: Many light values

Sampling helps problem 1, but heavy targets not identified by Sampling could lead to several light values falling into heavy buckets.

HYBRID cannot avoid problem 2.

Solution: use multiple sets of primary and auxiliary buckets

PROS: reduces # of false positives significantly

CONS: complicated to implement, complicated to describe

## MULTIBUCKET ALGORITHMS

- Single Scan DEFER-COUNT with multiple hash functions (UNISCAN)
- Multiple Scan DEFER-COUNT with multiple hash functions (MULTISCAN)
- MULTISCAN with shared bitmaps (MULTISCAN-SHARED)

Interesting and useful extension to the algorithms – a SUM query

PopularItem Query

☐ Example 2

# Rules of Thumb

- MULTI-LEVEL did not perform well in their experiments
- □ DEFER-COUNT works well when one expects the data to be very skewed (i.e. *high skew* 80/20 case: very few targets are heavy, but constitute most of the relation). Be sure to use a small *f* set
- MULTI-STAGE works well if data is not skewed, since it does not incur the overhead of looking up the values in f.
- ☐ If data distribution is flat, don't use a sampling scan.
- If you want to get crazy and use MULTIBUCKET algorithms, take a look at their long technical report and take the plunge